#### CS1100 – Introduction to Programming

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We will study more examples of loops, especially nested loops.

• Printing patterns

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- Printing first k primes

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- Finding prime factorization
- Printing staircase of numbers
- Computing positive square root of an integer, approximately

#### Printing patterns

```
#include<stdio.h>
main() {
    for (int i=1; i<=4; i++) {
        for (int j=1; j <=8; j++) {
            for (int j=1; j <=8; j++) {
                printf("*");
            }
            printf("\n");
            }
        }
}</pre>
```

#### Printing patterns

```
#include<stdio.h>
                  main() {
                      int k = 2;
                      for (int i=1; i<=4; i++) {
**
                          for (int j=1; j <=k; j++) {</pre>
****
                               printf("*");
*****
                           }
******
                          printf("\n");
                          k = k+2;
                      }
                  }
```

#### Printing first k primes

```
int n = 2;
while (count <= 10) {</pre>
```

```
// decide if n is prime
// if n is prime, increment counter, print n
// irrespective if that increment n
}
```

### Printing first k primes

```
int n = 2;
while (count <= 10) {
    // decide if n is prime
    int i = 2; int flag = 0;
    while (i < n) {
        if (n % i == 0) {
           flag = 1; break;
        }
        i = i+1;
     }
     // if n is prime, increment counter, print n
     if (0 == flag) {
        printf("The %d prime is %d\n", count, n);
        count++;
     }
     // irrespective if that increment n
     n++;
```

}

#### Printing first k primes

```
int count = 1; int n = 2;
while (count <= 10) {
    int i = 2; int flag = 0;
    while (i < n) {
        if (n % i == 0) {
           flag = 1; break;
        }
        i = i+1;
     }
     if (0 == flag) {
        printf("The %d prime is %d\n", count, n);
        count++;
     }
     n++;
```

}

Given n, test if it is prime. If not prime, print its prime factors with corresponding powers.

Idea

- Assume *n* is not prime.
- for i = 2 to n-1
  - detect if *i* is prime.
  - if *i* is prime, find largest power of *i* which divides *n*.
  - print *i* and the corresponding power.

Given n, test if it is prime. If not prime, print its prime factors with corresponding powers.

#### Idea2

- Assume *n* is not prime.
- for i = 2 to n
  - detect if *i* is prime.
  - if *i* is prime, find largest power of *i* which divides *n*.
  - print *i* and the corresponding power.
  - modify n.

Idea2 is simpler (to code). Needs thinking before coding. Spend at least 5 minutes thinking on how to code.

### Finding prime factorization

```
int n; scanf("%d", &n);
for (int i=2; i<= n; i++) {
    int count = 0;
    while (n % i == 0) {
        count++; n=n/i;
    }
    if (count > 0 ) {
        printf("%d %d\n", i, count);
    }
}
```

## Printing Staircase of Numbers

- Accept input  $n \ge 1$  from user.
- Print a staircase containing n rows.
- Row 1 has a single 1, row 2 has two 2's and so on.
- Row n has n times the number n.

Use the do while construct

#### Printing Staircase of Numbers

```
#include<stdio.h>
main() {
    int x;
    scanf("%d", &x);
    int i=1;
    do {
          int j = 1;
          do {
             printf("%d", i);
             j++;
          } while (j<=i);</pre>
          printf("\n");
          i++;
    } while (i<=x);</pre>
}
```

For example  $\sqrt{2} \sqrt{102} \sqrt{555} \dots$ 

We have the time tested sqrt function – use that! but how is that implemented?

We will study a simple and effective method - bisection method

Lets compute  $\sqrt{55}$ .

In fact we are interested in the value at which the function  $f(x) = \frac{2}{2}$ 



Lets compute  $\sqrt{55}$ .

In fact we are interested in the value at which the function  $f(x) = x^2 - 55$  evaluates to zero! Start with some initial guess : say 1. The value of f(1) is -ve! -50 Pick another guess where value is positive say 25. -50 0 50 The function must be zero in between these two values. -5d Keep refining your guess!

Lets compute  $\sqrt{55}$ .

In fact we are interested in the value at which the function  $f(x) = x^2 - 55$  evaluates to zero! Two initial values xL = 1, xR = 25. -50 refined guess? Take mid-point -50 0 50 xL, xR, xM. • Which are useful? -5d f(x).

- How do we pick the
- We now have 3 values.
- The two closest ones with opposite sign for

 Two initial values such that f(xL) is negative and f(xR) is positive.

• Take mid-point 
$$xM = \frac{xL+xR}{2}$$
.

- Pick two of xL, xR, xM which are closest and have opposite sign for f(x).
- How long? Till the two estimates are close enough!

```
#include<stdio.h>
main() {
     double xL = 1; double xR = 25;
     double xM, epsilon;
     epsilon = 0.0001;
     while (xR - xL \ge epsilon) {
          xM = (xL + xR) / 2;
          if ((xM * xM - 55) > 0) {
             xR = xM;
          } else {
            xL = xM;
          }
     }
     printf ("sqrt of 55 is %.4f\n", xL);
}
```